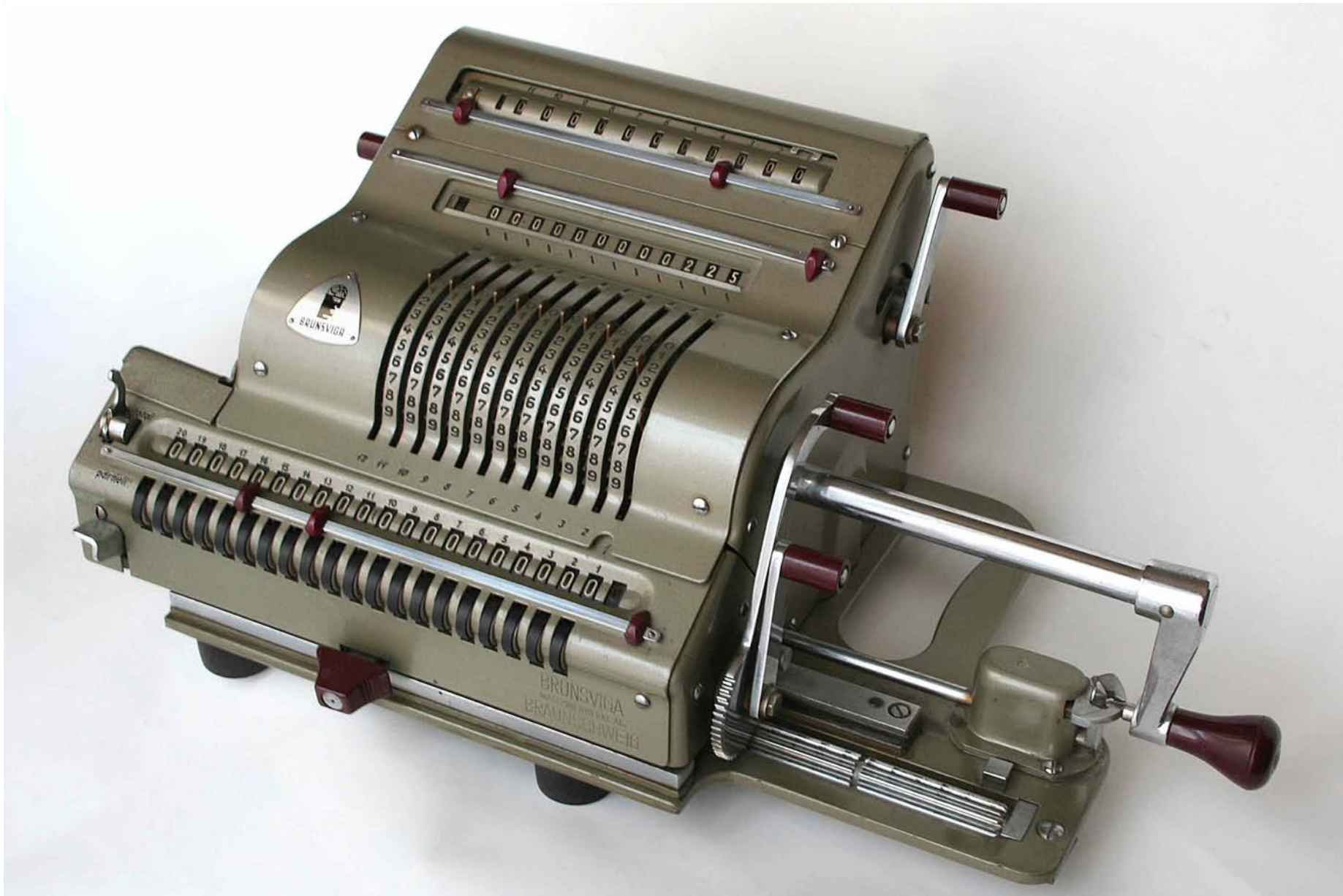


# Biophysics I (BPHS 4080)

Instructors: Prof. Christopher Bergevin (cberge@yorku.ca)

Website: <http://www.yorku.ca/cberge/4080W2018.html>



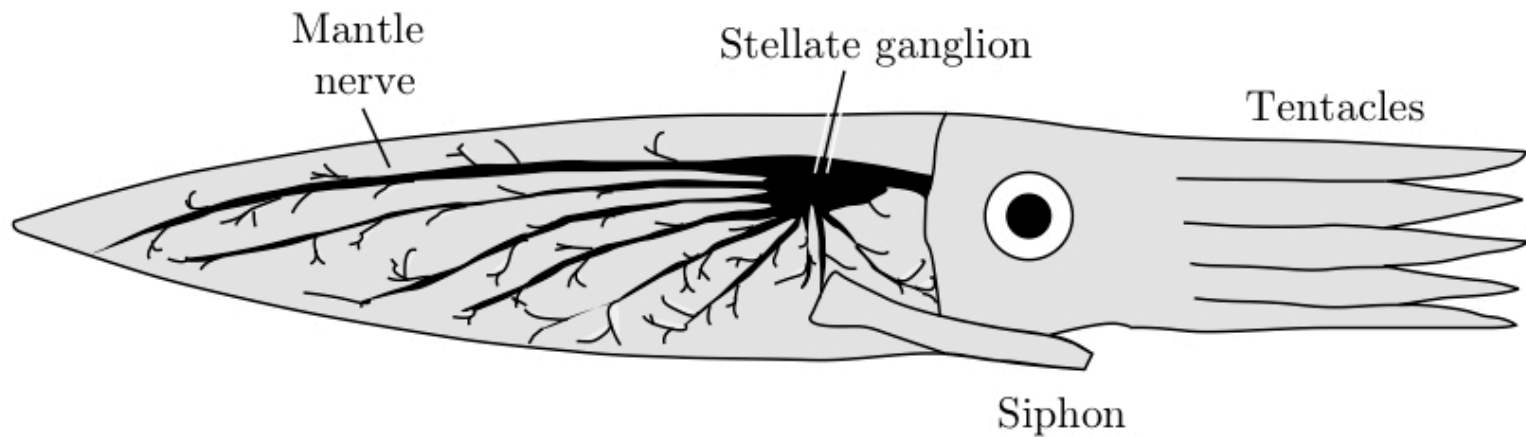


Figure 1.28

Some key observations...

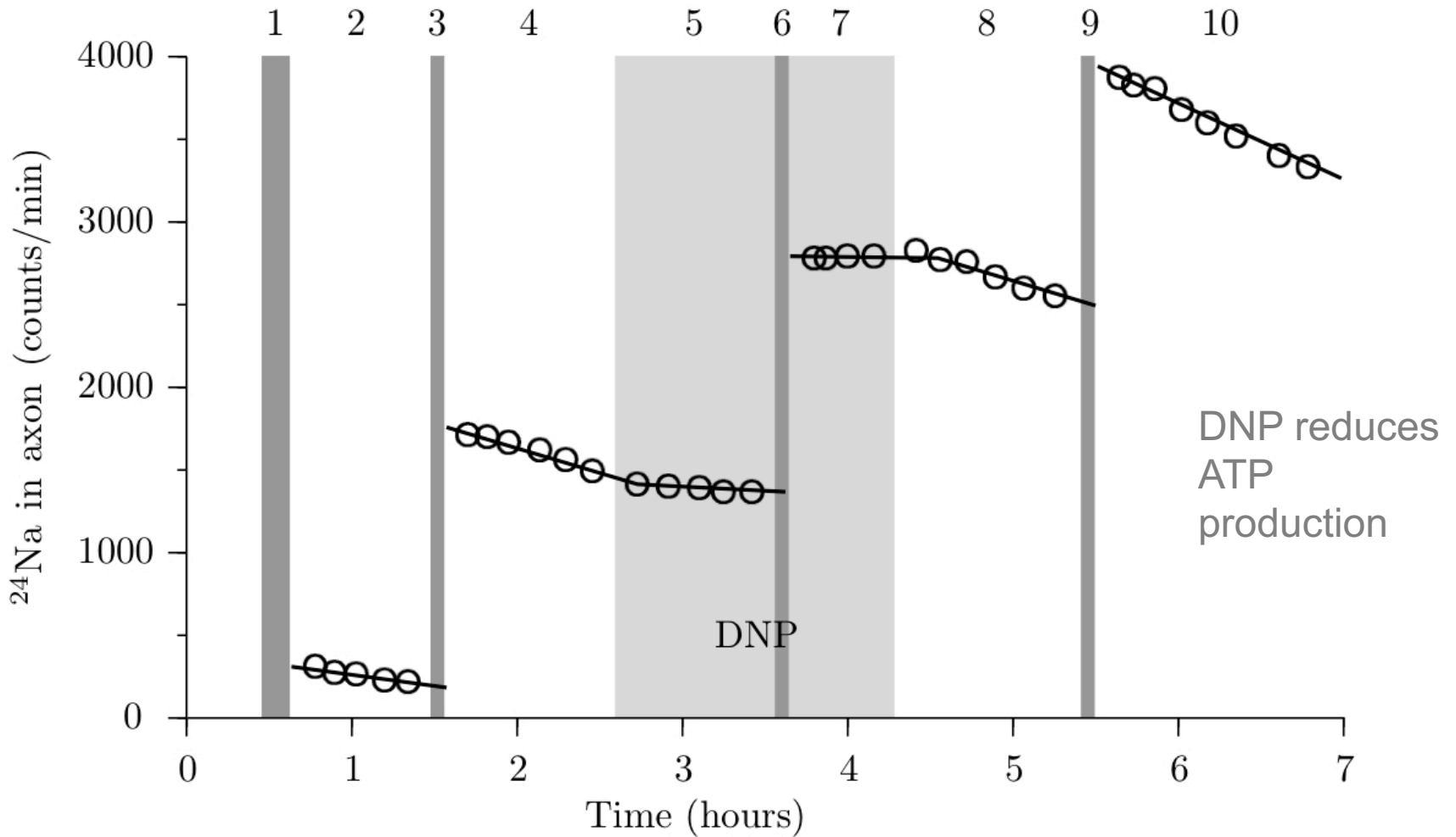


Figure 7.38

Interrelationships between:  
 $\text{Na}^+$  flux, 'active' transport, & action potentials

→ Active transport not a priori required for AP generation

## Some key observations...

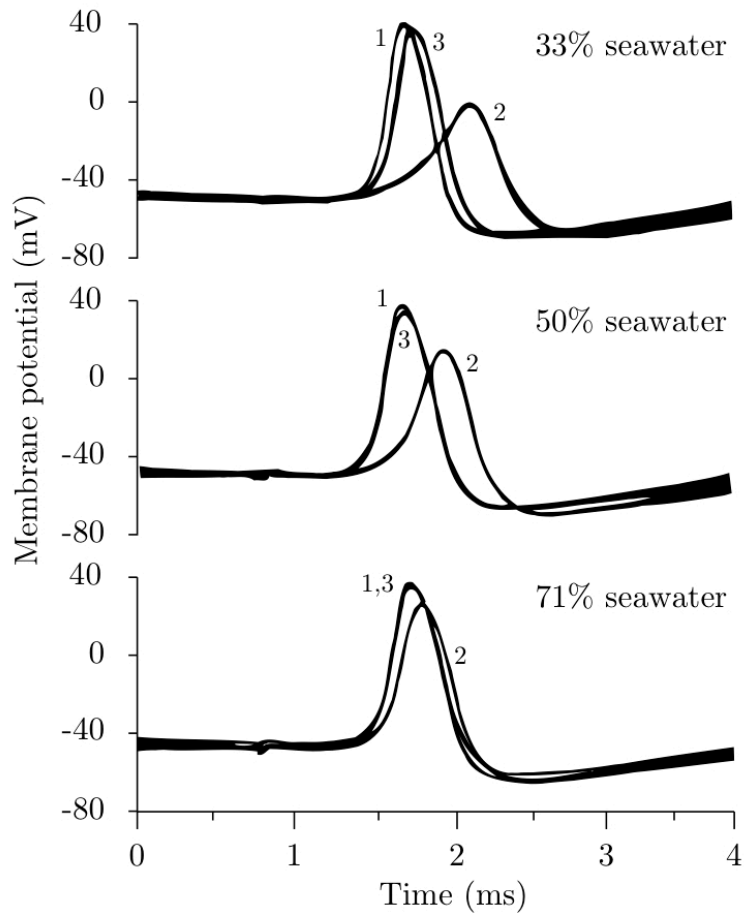


Figure 4.2

→ Na<sup>+</sup> flux affects APs (*early on*)

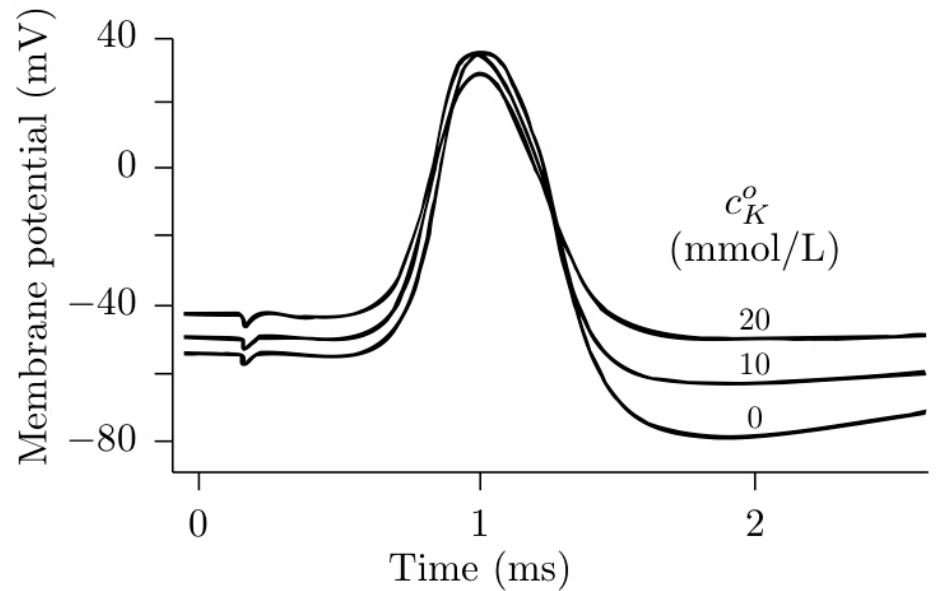


Figure 4.5

→ K<sup>+</sup> flux affects APs (*later on*)

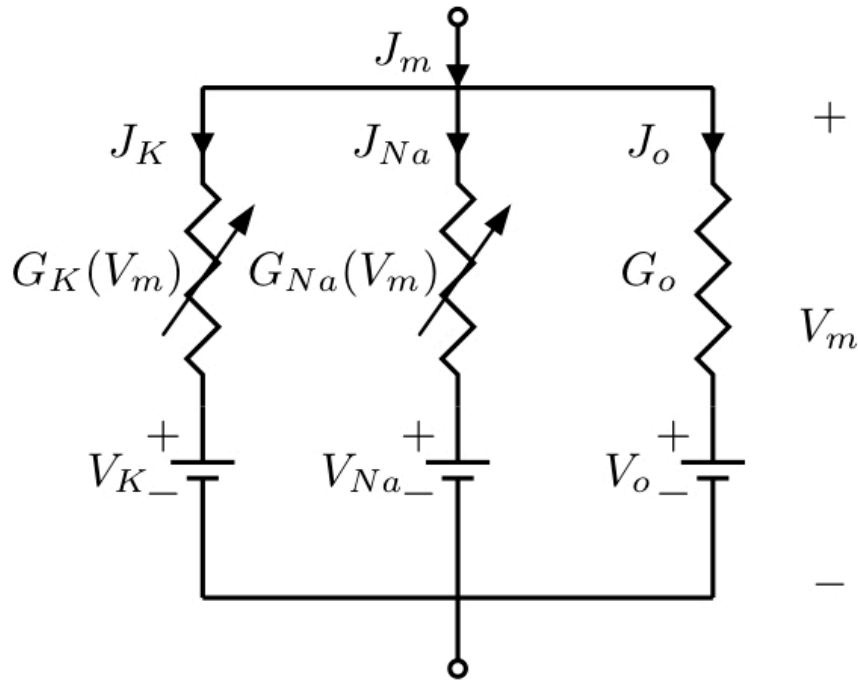
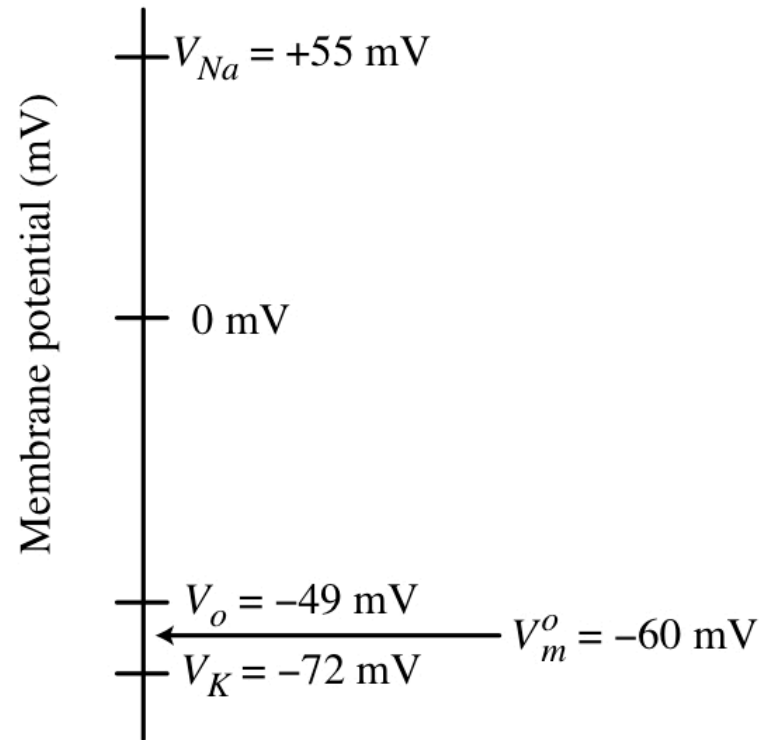


Figure 7.32



Idea 1 – Multiple permeant ions with different conductance (e.g.,  $G_k \gg G_{Na}$ )

Idea 2 –  $K^+$  and  $Na^+$  conductances can vary time

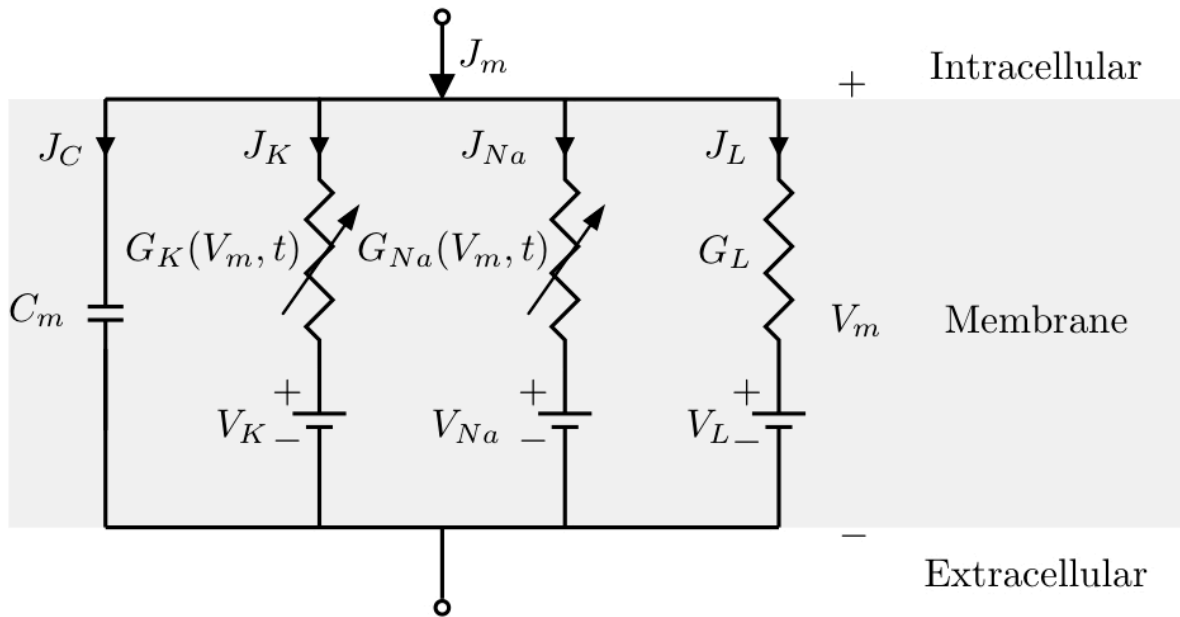


Figure 4.6

What are  $G_K(V_m, t)$  and  $G_{Na}(V_m, t)$ ?

→ Not easy to empirically distinguish, so new electrophysiological techniques were required

# Space-Clamp

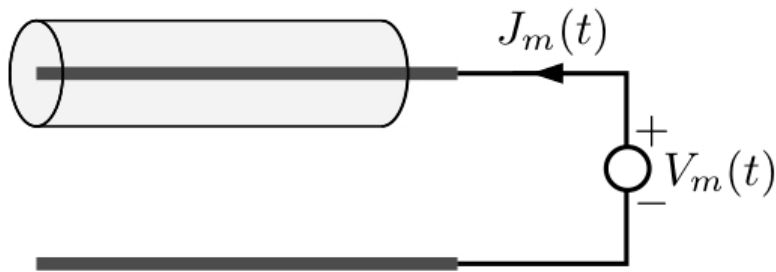


Figure 4.10

Kenneth Cole & George Marmont (1940s)

→ *Eliminates spatial dependence*  
(i.e., make an electrically large cell a small one)

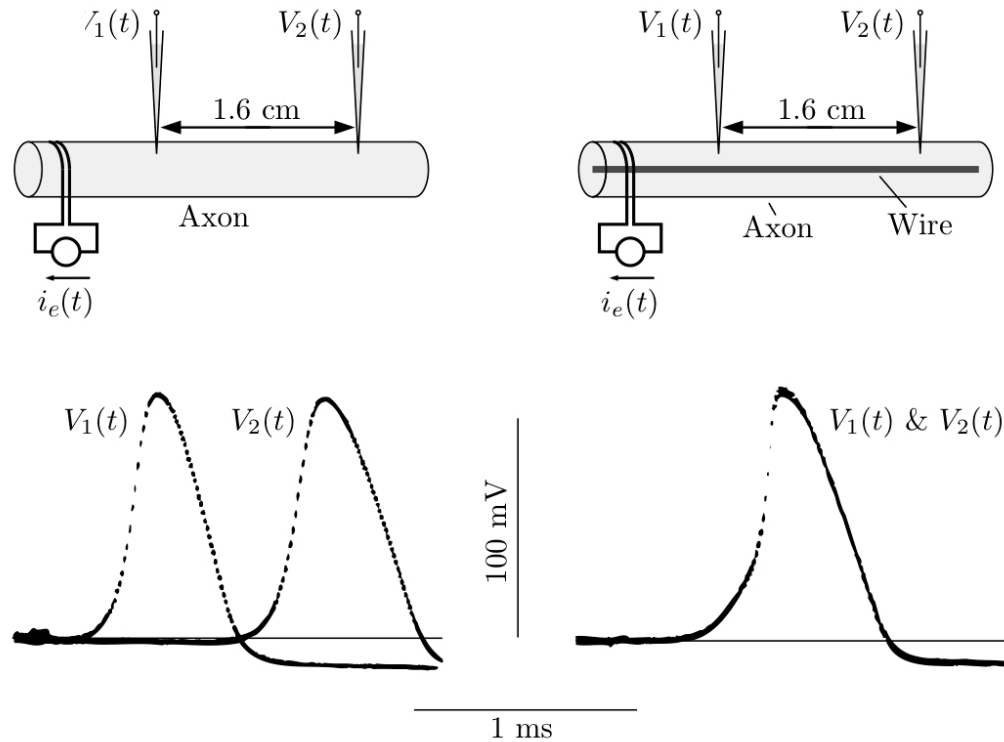


Figure 2.15

Conduction velocity  
(Core-Conductor model)

$$r_i = \frac{\rho_i}{\pi a^2} \quad v = \sqrt{\frac{\kappa_m a}{2\rho_i}}$$



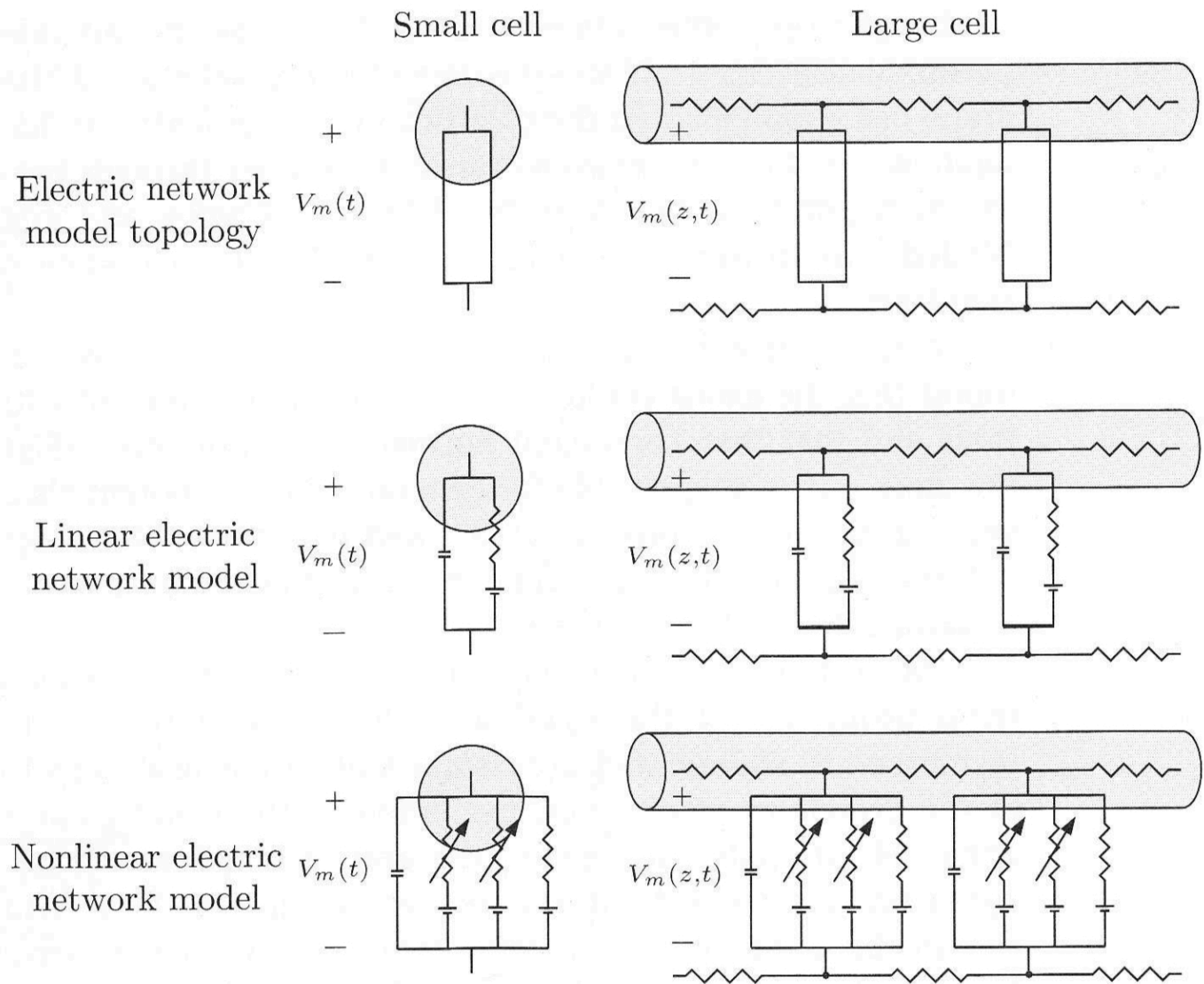
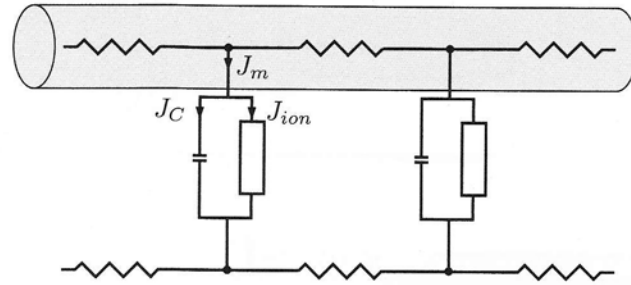


Figure 1.32

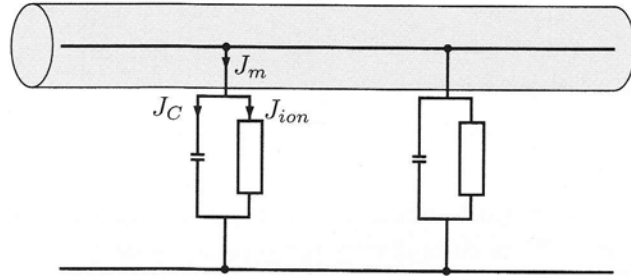
→ Electrically 'small' cell can still fire action potentials

# Voltage-Clamp



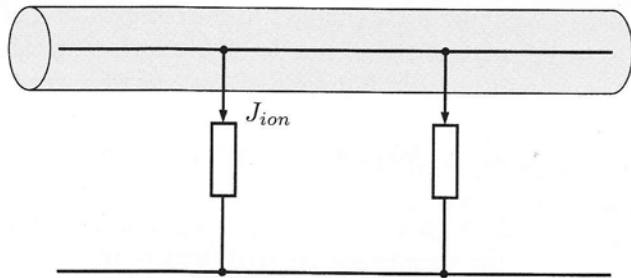
Space clamp

$$\frac{\partial V_m}{\partial z} = 0$$

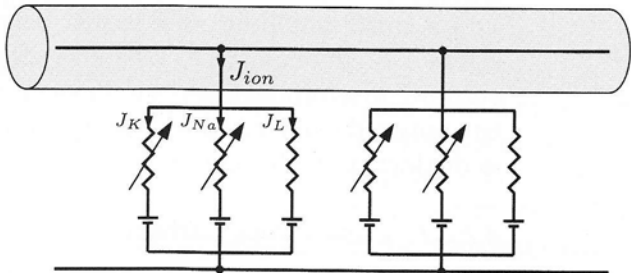


Step voltage clamp

$$\frac{\partial V_m}{\partial z} = \frac{\partial V_m}{\partial t} = 0$$



Separation of ionic currents



# Separating Ionic Currents

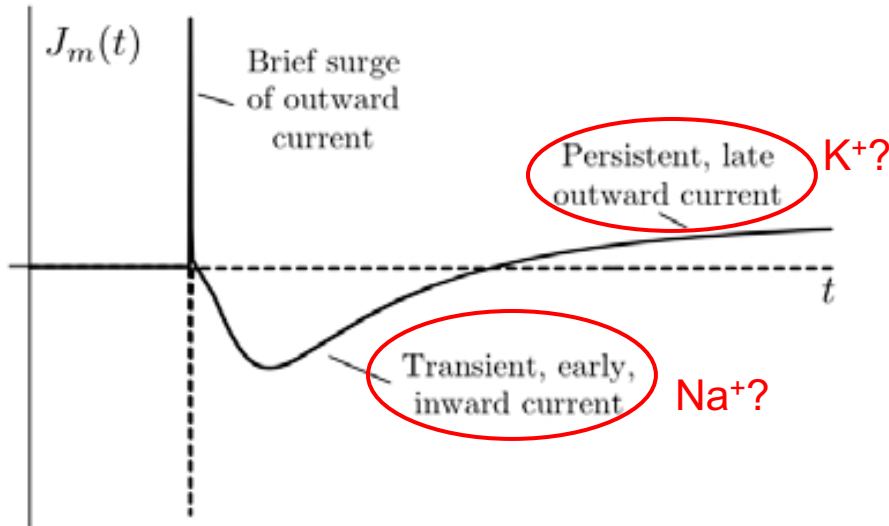
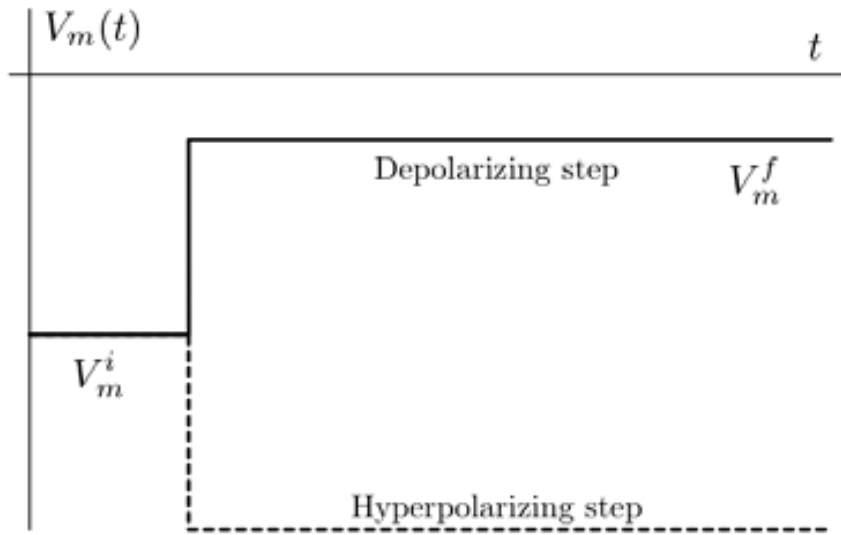


Figure 4.12

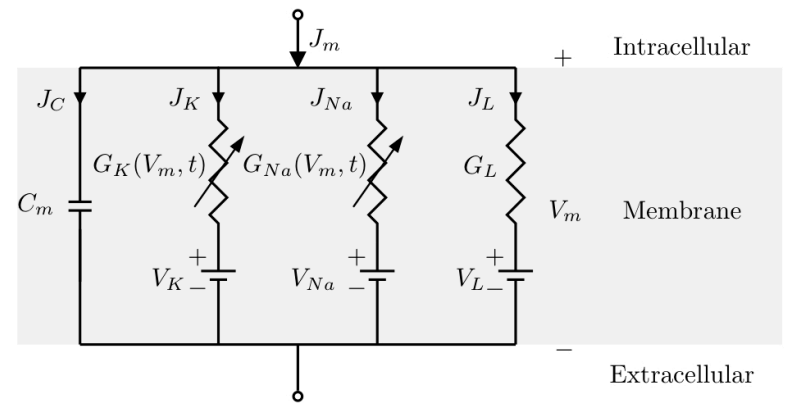


Figure 4.6

# Capacitive Current

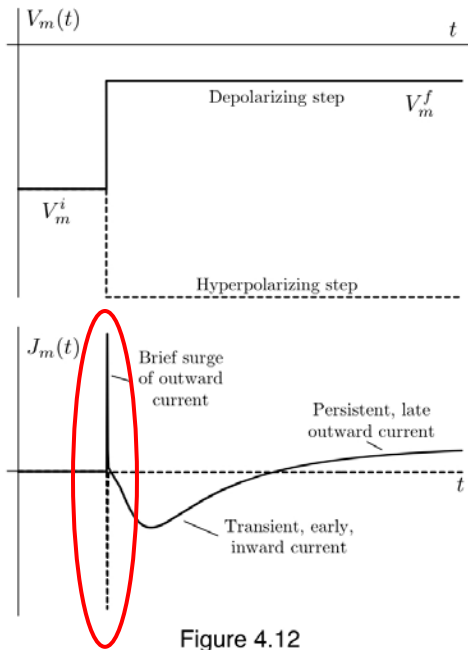
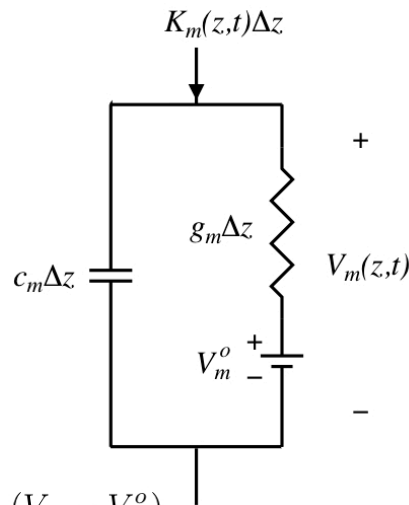


Figure 4.12



$$i_e(t) = A J_m = A C_m \frac{dV_m}{dt} + A G_m (V_m - V_m^o)$$

$$\frac{A C_m}{A G_m} \frac{dV_m}{dt} + V_m = V_m^o + \frac{i_e(t)}{A G_m}$$

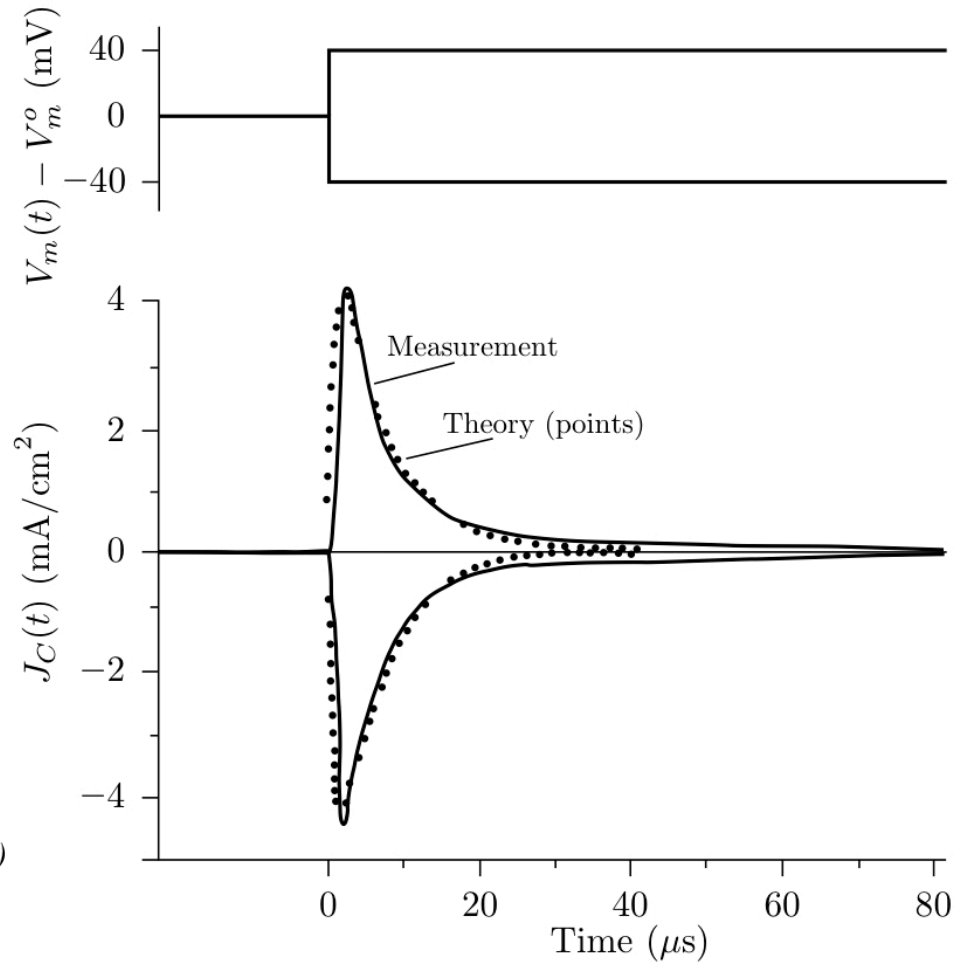


Figure 4.13

But what of the other ionic currents?

$$\frac{1}{2\pi a(r_o + r_i)} \frac{\partial^2 V_m}{\partial z^2} = C_m \frac{\partial V_m}{\partial t} + G_K(V_m, t) (V_m - V_K) + G_{Na}(V_m, t) (V_m - V_{Na}) + G_L(V_m - V_L)$$

→ What are  $G_K(V_m, t)$  and  $G_{Na}(V_m, t)$ ?

$$V_{Na} = \frac{RT}{F} \log \frac{c_{Na}^o}{c_{Na}^i}$$

→ Separating ionic currents by subtraction (assumes  $J_K$  unaffected by changes in  $[Na^+]$ )

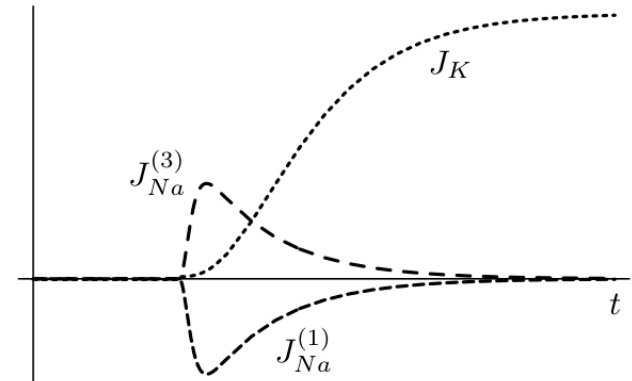
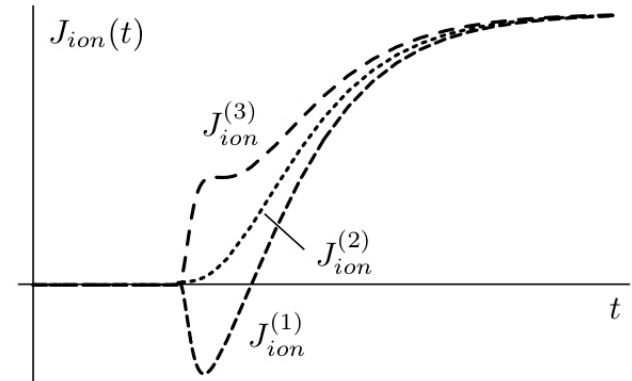
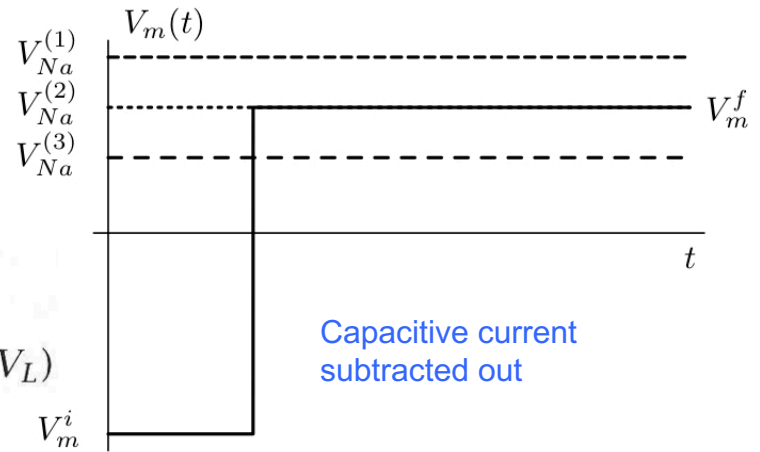


Figure 4.17

# Reversal Potential?

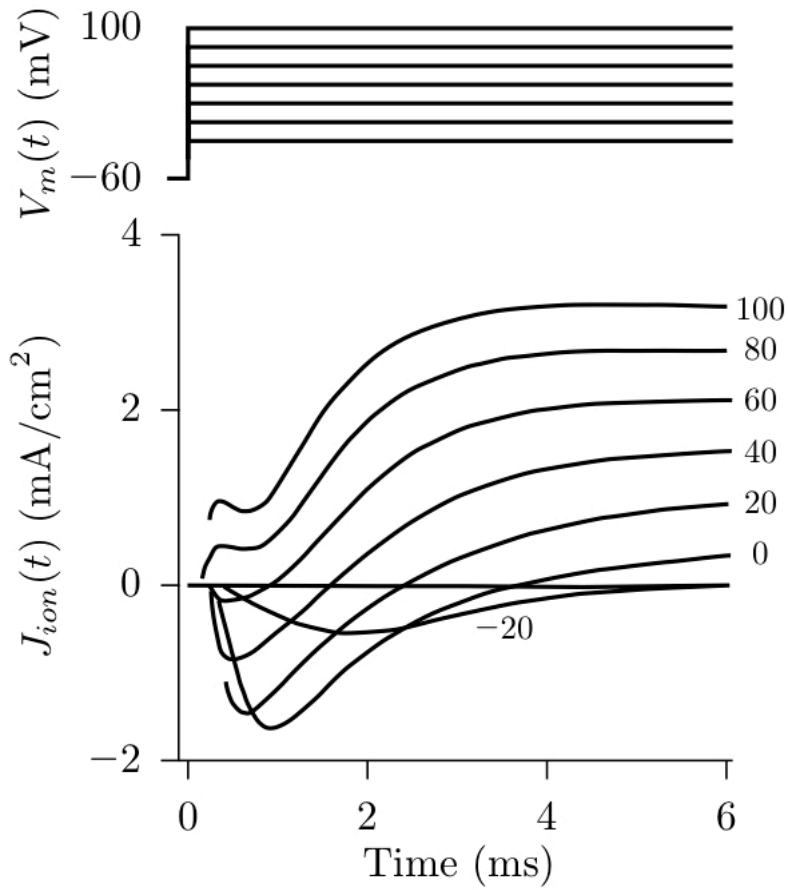


Figure 4.14

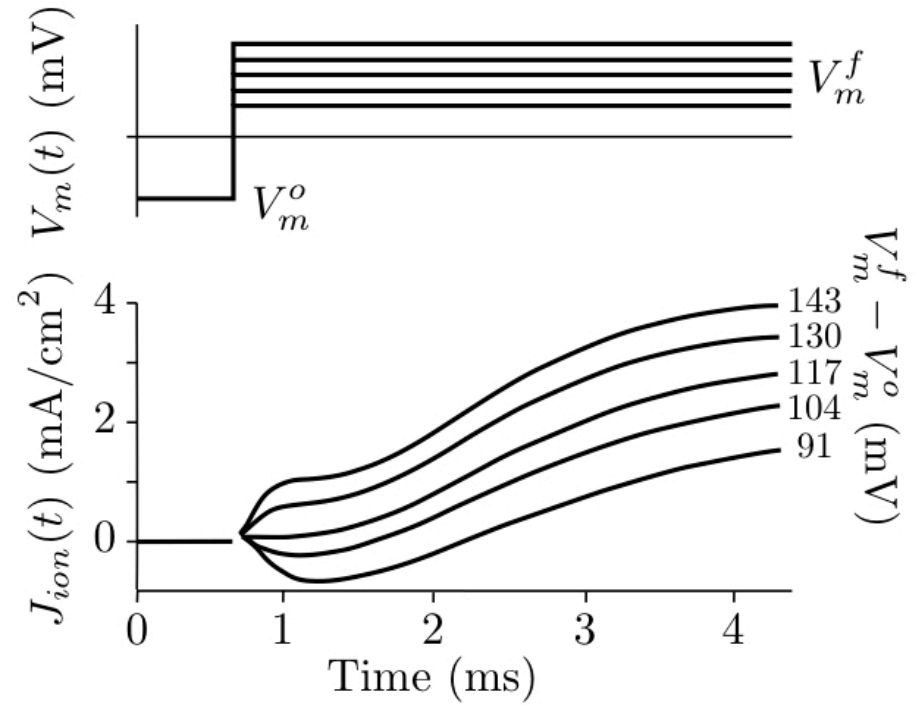


Figure 4.15

→ Close to Na<sup>+</sup> Nernst potential!

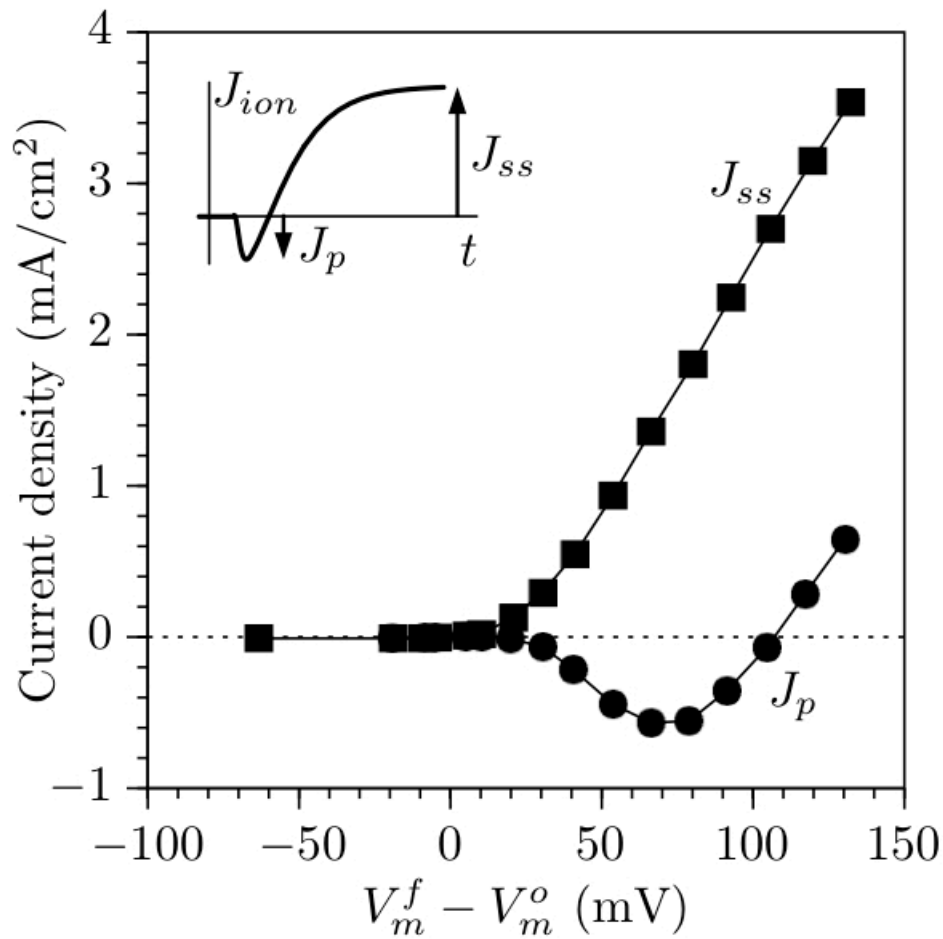
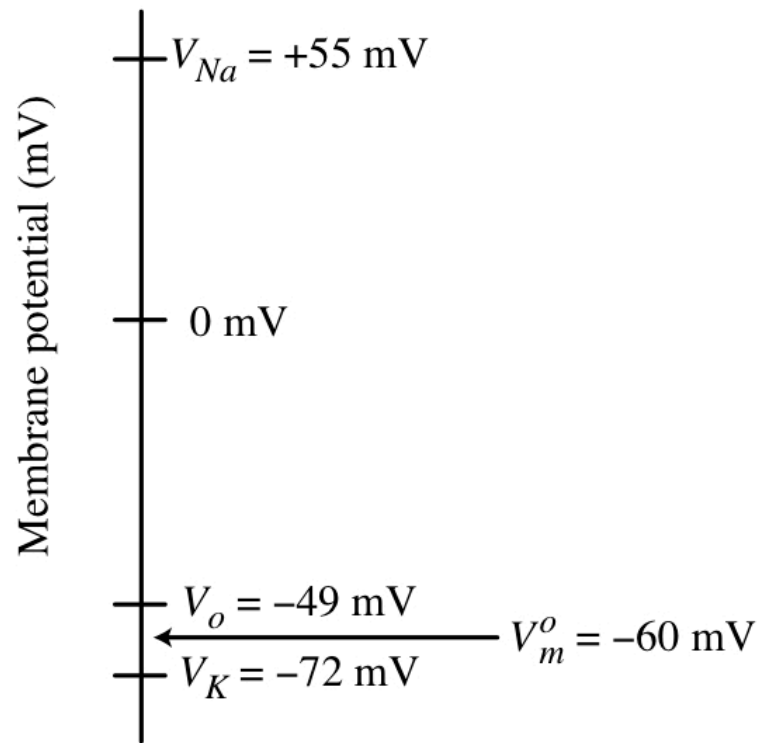
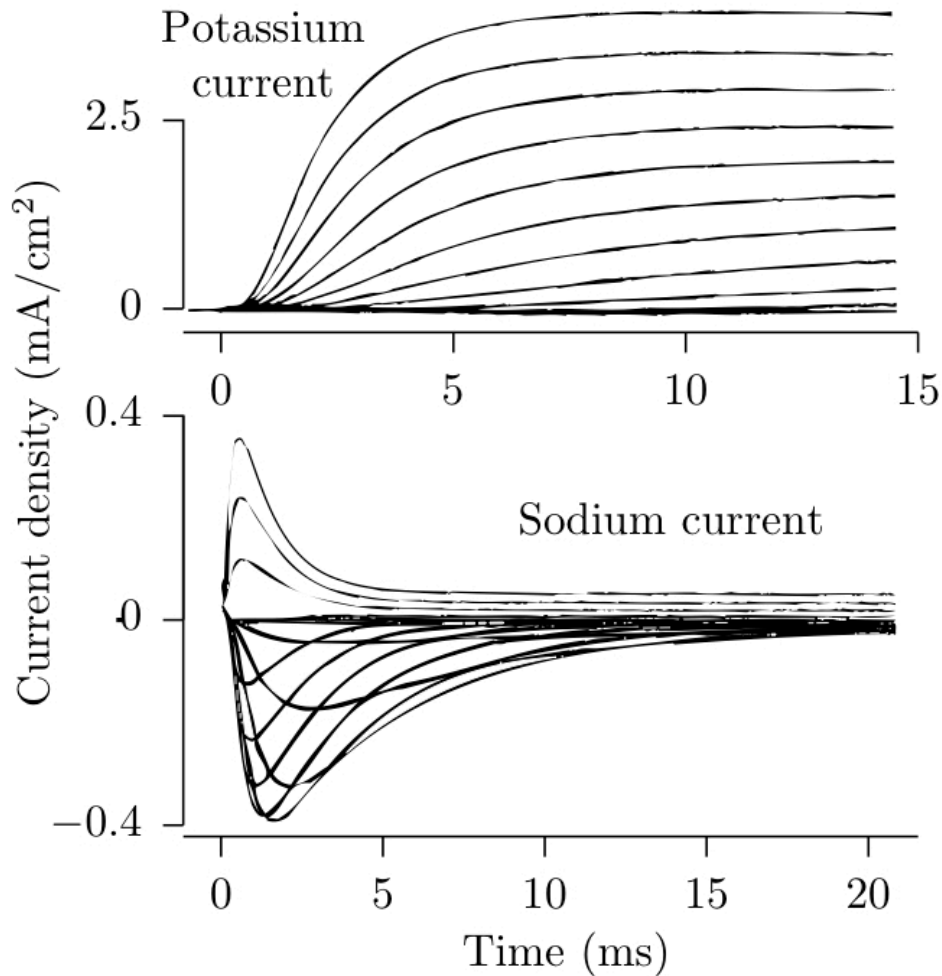


Figure 4.16



## Separating Ionic Currents



NOTE: Other methods besides subtraction (e.g., TTX to block Na<sup>+</sup> current, replace K<sup>+</sup> w/ Cs<sup>+</sup>, etc...)

→ K<sup>+</sup> simply turns on  
(with a bit of a slow start)

→ Na<sup>+</sup> more complex  
(early 'activation', followed by 'inactivation')

Figure 4.20



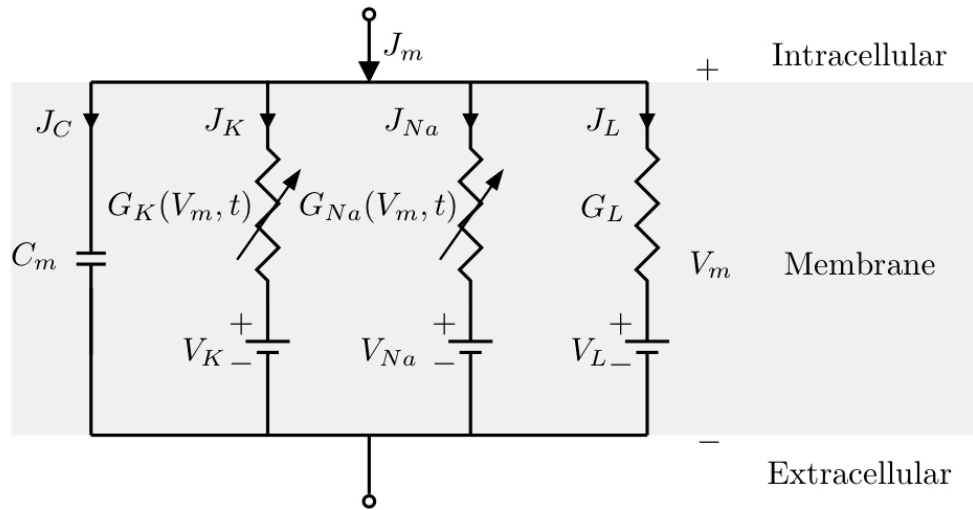


Figure 4.6

What are  $G_K(V_m, t)$  and  $G_{Na}(V_m, t)$ ?

→ Physiological data suggests  $\text{Na}^+$  *activates* and then *inactivates* while  $\text{K}^+$  simply *activates* (based upon  $V_m$ )

